

Temperature Analysis and Modeling of Voltage Regulator Circuits in PSpice

Galia Marinova¹

Abstract – The paper proposes a methodology for temperature analysis and modeling of voltage regulator circuits in PSpice. Six voltage regulator circuits are analyzed using temperature sweep in PSpice. Output stabilized voltages and output voltage ripples are simulated in temperature area and then temperature models are formulated for each circuit. Based on the results and the models obtained, a comparative study of the six voltage regulator circuits is performed.

Keywords – Voltage regulator, Temperature models, PSPICE.

I. INTRODUCTION

The paper proposes a methodology for temperature analysis and modeling of voltage regulator circuits in PSpice. Six voltage regulator circuits are analyzed using temperature sweep in PSpice. Output stabilized voltages and output voltage ripples are simulated in temperature area and then temperature models are formulated for each circuit. Based on the results and the models obtained, a comparative study of the six voltage regulator circuits is performed.

¹Galia Marinova is with the Telecommunications Faculty, Technical University – Sofia, bul. “Kliment Ohridski” 8, 1000 Sofia, Bulgaria, E-mail: gim@tu-sofia.bg.

II. METHODOLOGY FOR TEMPERATURE ANALYSIS AND MODELING OF VOLTAGE REGULATOR CIRCUITS IN PSPICE

Table 1 presents the Methodology for temperature analysis and modeling of voltage regulator circuits in PSpice which develops the methodology for analysis of voltage regulator circuits from [3].

III. TEMPERATURE ANALYSIS OF THE VOLTAGE REGULATORS CHARACTERISTICS

Following the methodology described in Section II six voltage regulator circuits from Fig.1a to Fig.1f are analyzed with PSpice in time area with temperature sweep for 4 temperatures: 0°C 25°C 40°C 70°C. The voltage regulator circuits from Fig. 1 are studied in details in [1,2]. Two traces are drawn for each circuit and the curves obtained are presented on Figures 2 to 7:

- Stabilized output voltage in temperature area $V_{out}(\Delta T^{\circ}C)$ – Fig. 2a,3a,4a,5a,6a,7a
- Output voltage ripple in temperature area $\Delta V_{out}(\Delta T^{\circ}C)$ – Fig. 2b,3b,4b,5b,6b,7b

IV. ANALYSIS OF THE TEMPERATURE FUNCTIONS FOR THE VOLTAGE REGULATORS

This section studies the temperature dependence of the circuits from Fig.1.

TABLE I
METHODOLOGY FOR TEMPERATURE ANALYSIS AND MODELING OF VOLTAGE REGULATOR CIRCUITS IN PSPICE

Characteristics of the voltage regulator circuits	Definition of the analysis used in PSpice	Graphical processing of the simulation results in PSPICE	Definition of the voltage regulator parameters through postprocessing functions
Temperature characteristics of the voltage regulator circuit	Temperature analysis with temperature sweep .TEMP <list of $t^{\circ}C$ >	- Tracing a family of transient curves for the output voltage at temperatures from the list $V_{out}(t)$, <list of $t^{\circ}C$ > Extracting the curve of output voltage as a function of temperature - $V_{out}(t^{\circ}C)$ - Extracting the curve of output voltage ripple as a function of temperature - $\Delta V_{out}(t^{\circ}C)$ By applying the option PERFORMANCE ANALYSIS for determining the value $YatX$ from the trace of output voltage $Maxr(V_{out},t1,t2)-Minr(V_{out},t1,t2)$	Determining the dependence: - Linear, nonlinear or constant; - Directly or inversely proportional; Determining the variation of the output voltage in the temperature interval $[t^{\circ}_{min}, t^{\circ}_{max}]$: $\Delta V_{out}(t^{\circ}_{min}-t^{\circ}_{max}) = V_{out}(t^{\circ}_{max})-V_{out}(t^{\circ}_{min})$ and for the variation of the voltage ripple: $\Delta \Delta V_{out}(t^{\circ}_{min}-t^{\circ}_{max}) = \Delta V_{out}(t^{\circ}_{max})-\Delta V_{out}(t^{\circ}_{min})$ When linear temperature dependence is observed for the output voltage or the ripple, the temperature dependence is modeled by a linear equation.

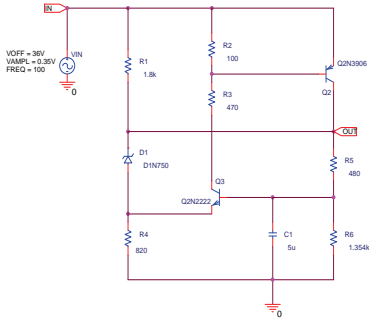


Fig. 1a. Linear voltage regulator with PNP pass transistor

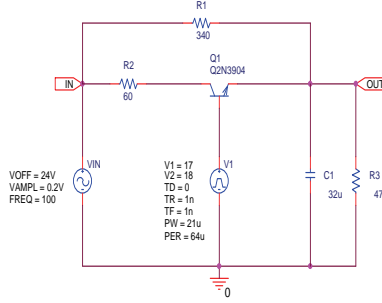


Fig. 1b. Voltage regulator with NPN pass transistor in switch mode

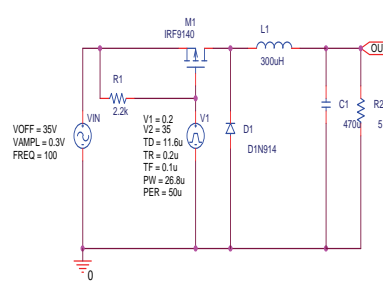


Fig. 1c. Buck DC-DC with MOS pass transistor in switch mode

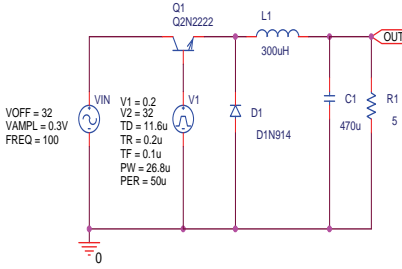


Fig. 1d. Positive buck regulator

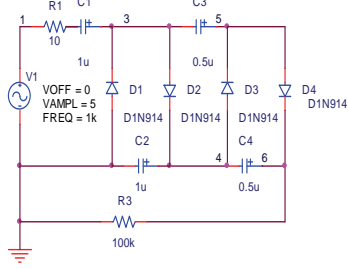


Fig. 1e. Cockcroft-Walton multiplying circuit

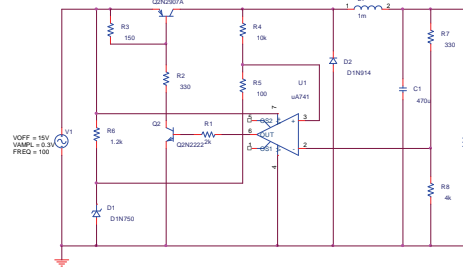


Fig. 1f. Buck switching regulator with PNP pass transistor and voltage translating circuit using op amp

Fig. 1. Six voltage regulator circuits

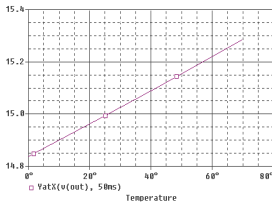


Fig.2a

Fig.2. Temperature curves for the circuit from Fig.1a

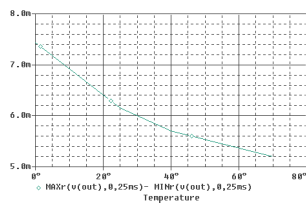


Fig.2b

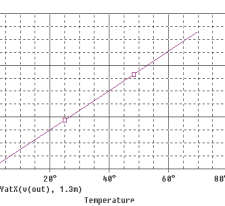


Fig.3a

Fig.3. Temperature curves for the circuit from Fig.1b

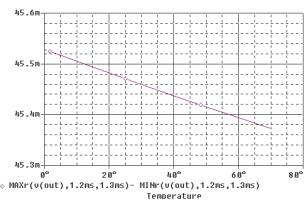


Fig.3b

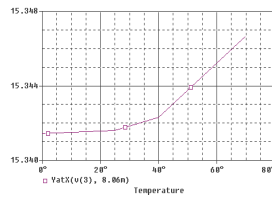


Fig.4a

Fig.4. Temperature curves for the circuit from Fig.1c

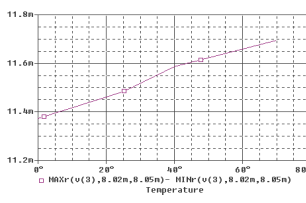


Fig.4b

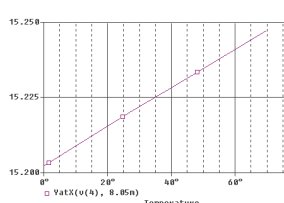


Fig.5a

Fig.5. Temperature curves for the circuit from Fig.1d

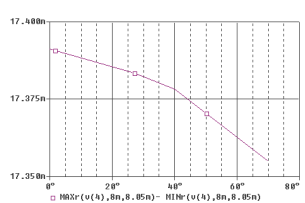


Fig.5b

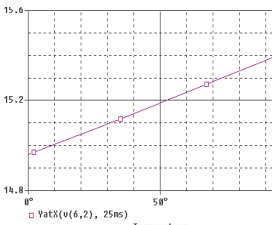


Fig.6a

Fig.6. Temperature curves for the circuit from Fig.1e

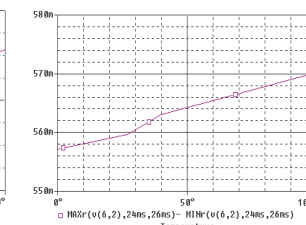


Fig.6b

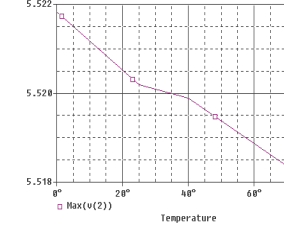


Fig.7a

Fig.7. Temperature curves for the circuit from Fig.1f

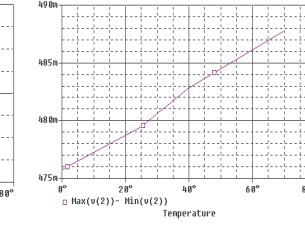


Fig.7b

A. Temperature Functions for the Finear Voltage Regulator with PNP Pass Transistor

Considering Fig. 2a the stabilized output voltage of the linear voltage regulator with PNP pass transistor is linear and

directly proportional function of temperature. The proportion observed is:

$$\Delta T^{\circ}C = 70^{\circ}C \rightarrow \Delta V_{out} = 0.447V$$

The coefficient of proportionality is determined as:

$$\frac{\Delta V_{out}}{\Delta T^{\circ}C} = 6 \frac{mV}{^{\circ}C}$$

The formula of the temperature dependence for the output stabilized voltage of the circuit from linear voltage regulator with PNP pass transistor is:

$$V_{LINout}(T^{\circ}C) = (14.835 + 6.10^{-3} \cdot T)V \quad (1)$$

Considering Fig.2b it's determined that the dependence of the stabilized output voltage ripple from temperature is nonlinear and the ripple variation is inverse to temperature variation. When the temperature increases the ripple decreases.

B. Temperature Functions for the Voltage Regulator with NPN Pass Transistor in Switch Mode

Considering Fig.3a it's determined that the stabilized output voltage of the voltage regulator with NPN pass transistor in switch mode is linear and directly proportional function of temperature. The proportion observed is:

$$\Delta T^{\circ}C = 70^{\circ}C \rightarrow \Delta V_{out} = 5mV$$

The coefficient of proportionality is determined as:

$$\frac{\Delta \Delta V_{out}}{\Delta T^{\circ}C} = 0.75 \frac{mV}{^{\circ}C}$$

The formula obtained for the temperature dependence for the output stabilized voltage of the Voltage regulator with NPN pass transistor in switch mode is:

$$V_{SMNPNout}(T^{\circ}C) = (15 + 0.75 \cdot 10^{-3} \cdot T)V \quad (2)$$

Considering Fig.3b it's determined that the dependence of the output voltage ripple from temperature for the Voltage regulator with NPN pass transistor in switch mode is linear and inversely proportional. The proportion observed is:

$$\Delta T^{\circ}C = 70^{\circ}C \rightarrow \Delta \Delta V_{out} = -0.14mV$$

The coefficient of proportionality is determined as:

$$\frac{\Delta \Delta V_{out}}{\Delta T^{\circ}C} = -2 \frac{\mu V}{^{\circ}C}$$

The formula obtained for the temperature dependence of the output voltage ripple for the Voltage regulator with NPN pass transistor in switch mode is:

$$\Delta V_{SMNPNout}(T^{\circ}C) = (45.529 - 2.10^{-3} \cdot T)mV \quad (3)$$

C. Temperature Functions for the Buck DC-DC

Considering Fig.4a it's determined that the stabilized output voltage of the Buck DC-DC slightly depends from temperature:

- $V_{MOSout} = (15.341 + 15.342)V$, $T^{\circ}C = 0 + 40^{\circ}C$
- V_{MOSout} increases with $5\mu V$ for temperature variation from $40^{\circ}C$ to $70^{\circ}C$

The temperature dependence of the stabilized output voltage of the Buck DC-DC can be expressed as follows:

$$V_{MOSout} \approx const = 15.34V, T^{\circ}C = 0 + 70^{\circ}C$$

Considering Fig.4b it's determined that the output voltage ripple of the Buck DC-DC depends very slightly from temperature and the dependence is close to linear and directly proportional. The proportion observed is:

$$\Delta T^{\circ}C = 70^{\circ}C \rightarrow \Delta \Delta V_{out} = -0.14mV$$

The coefficient of proportionality is determined as:

$$\frac{\Delta \Delta V_{out}}{\Delta T^{\circ}C} = 2.3 \frac{\mu V}{^{\circ}C}$$

The formula obtained for the temperature dependence of the output voltage ripple for the Buck DC-DC is:

$$\Delta V_{MOSout}(T^{\circ}C) = (11.39 + 2.3 \cdot 10^{-3} \cdot T)mV \quad (4)$$

D. Temperature Functions for the Positive Buck Regulator

Considering Fig.5a it's determined that the stabilized output voltage of the positive buck regulator is linear and directly proportional function of temperature. The proportion observed is:

$$\Delta T^{\circ}C = 70^{\circ}C \rightarrow \Delta V_{out} = 45mV$$

The coefficient of proportionality is determined as:

$$\frac{\Delta V_{out}}{\Delta T^{\circ}C} = 0.6 \frac{mV}{^{\circ}C}$$

The formula of the temperature dependence for the output stabilized voltage of the Positive buck regulator is:

$$V_{POSout}(T^{\circ}C) = (15.202 + 0.6 \cdot 10^{-3} \cdot T)V \quad (5)$$

Considering Fig.5b it's determined that the temperature dependence of stabilized output voltage ripple of the positive buck regulator is nonlinear and the ripple variation is inverse to temperature variation. When the temperature increases the ripple decreases. For temperature variation from $0^{\circ}C$ to $70^{\circ}C$ the output voltage ripple decreases with $50\mu V$.

E. Temperature Functions for the Cockcroft-Walton Voltage Multiplier

Considering Fig.6a it's determined that the stabilized output voltage of the Cockcroft-Walton voltage multiplier is linear and directly proportional function of temperature. The proportion observed is:

$$\Delta T^{\circ}C = 70^{\circ}C \rightarrow \Delta V_{out} = 0.328V$$

The coefficient of proportionality is determined as:

$$\frac{\Delta V_{out}}{\Delta T^{\circ}C} = 4 \frac{mV}{^{\circ}C}$$

The formula of the temperature dependence for the output stabilized voltage of the Cockcroft-Walton voltage multiplier is:

$$V_{MULTout}(T^{\circ}C) = (14.96 + 4.10^{-3} \cdot T)V \quad (6)$$

Considering Fig.6b it's determined that the output voltage ripple of the Cockcroft-Walton voltage multiplier is close to linear and directly proportional function of temperature. The proportion observed is:

$$\Delta T^{\circ}C = 70^{\circ}C \rightarrow \Delta \Delta V_{out} = 9mV$$

The coefficient of proportionality is determined as:

$$\frac{\Delta V_{out}}{\Delta T^{\circ}C} = 0.13 \frac{\mu V}{^{\circ}C}$$

The formula obtained for the temperature dependence of the output voltage ripple for the Cockcroft-Walton voltage multiplier is:

$$\Delta V_{MULTout}(T^{\circ}C) \approx (557 + 0.13 \cdot 10^{-3} \cdot T)mV \quad (7)$$

TABLE II
GENERALIZED DATA AND FORMULAS IN TEMPERATURE AREA FOR THE VOLTAGE REGULATORS

Voltage regulator circuit	Stabilized output volatage as a function of temperature $V_{out}(T^{\circ}C)$	Variation of the output voltage for temperature variation from $0^{\circ}C$ to $70^{\circ}C$	Output voltage ripple as a function of temperature $\Delta V_{out}(T^{\circ}C)$	Variation of the output voltage ripple for temperature variation from $0^{\circ}C$ to $70^{\circ}C$
Linear voltage regulator with PNP pass transistor	Linear, Direct proportional $V_{LINout}(T^{\circ}C)=(14.835+6.10^{-3}.T)V$	0.447V	Nonlinear, output voltage ripple vary in inverse direction than temperature	-2.1mV
Voltage regulator with NPN pass transistor in switch mode	Linear, Direct proportional $V_{SMNPNout}(T^{\circ}C)=(15+0.75.10^{-3}.T)V$	5mV	Linear, Inverse proportional $\Delta V_{SMNPNout}(T^{\circ}C) = (45.529 - 2.10^{-3}.T)mV$	-0.14mV
Buck DC-DC	Approximately constnant $V_{MOSout} \approx const = 15.34V$	6 μ V	Linear, Direct proportional $\Delta V_{MOSout}(T^{\circ}C) = (11.39 + 2.3.10^{-3}.T)mV$	0.16mV
Positive buck regulator	Linear, Direct proportional $V_{POSout}(T^{\circ}C)=(15.202+0.6.10^{-3}.T)V$	0.45V	Nonlinear, output voltage ripple vary in inverse direction than temperature	-50 μ V
Cockcroft-Walton multiplying circuit	Linear, Direct proportional $V_{MULTout}(T^{\circ}C) = (14.96 + 4.10^{-3}.T)V$	0.328V	Approximately linear and direct proportional	9mV
Buck switching regulator with op amp	Approximately linear, Inverse proportional $V_{OAout}(T^{\circ}C) \approx (5.522 - 51.10^{-6}.T)V$	-3.6mV	Linear, Direct proportional $\Delta V_{OAout}(T^{\circ}C) = (475 + 18.6.10^{-3}.T)mV$	13mV

F. Temperature Functions for the Buck Switching Regulator with PNP Pass Transistor and Voltage Translating Circuit using Op Amp

Considering Fig.7a it's determined that the stabilized output voltage of the buck switching regulator with PNP pass transistor and voltage translating circuit using op amp is close to linear and inversely proportional function of temperature. The proportion observed is:

$$\Delta T^{\circ}C=70^{\circ}C \rightarrow \Delta V_{out} = -3.6mV$$

The coefficient of proportionality is determined as:

$$\frac{\Delta V_{out}}{\Delta T^{\circ}C} = -51 \frac{\mu V}{^{\circ}C}$$

The formula of the temperature dependence for the stabilized output voltage of the circuit from Fig.1f is:

$$V_{Aout}(T^{\circ}C) \approx (5.522 - 51.10^{-6}.T)V \quad (8)$$

Considering Fig.7b it's determined that the output voltage ripple of the Buck switching regulator with PNP pass transistor and voltage translating circuit using op amp is linear and directly proportional function of temperature. The proportion observed is

$$\Delta T^{\circ}C=70^{\circ}C \rightarrow \Delta \Delta V_{out}= 13mV$$

The coefficient of proportionality is determined as:

The formula obtained for the temperature dependence for the output stabilized voltage ripple of the circuit from Fig.1f is:

$$\Delta V_{OAout}(T^{\circ}C) = (475 + 18.6.10^{-3}.T)mV \quad (9)$$

V. GENERAL FORMULAS FOR THE TEMPERATURE FUNCTIONS OF THE VOLTAGE REGULATORS

Table 2 presents the generalized models and formulas in temperature area for the voltage regulators from Fig1a,1b,1c,1d,1e,1f.

VI. COMPARATIVE STUDY OF THE VOLTAGE REGULATORS BEHAVIOR IN TEMPERATURE AREA

The comparison of the data for the 6 voltage regulators is based on the modules of variations of the output voltage and

$$\frac{\Delta \Delta V_{out}}{\Delta T^{\circ}C} = 18.6 \frac{\mu V}{^{\circ}C}$$

output voltage ripple in the temperature interval from $0^{\circ}C$ to $70^{\circ}C$. The comparison of the modules of the output voltage variations is:

$$\Delta V_{POSout}(T^{\circ}C) > \Delta V_{LINout}(T^{\circ}C) > \Delta V_{MULTou}(T^{\circ}C) > \Delta V_{OAout}(T^{\circ}C) > \Delta V_{SMNPNou}(T^{\circ}C) > \Delta V_{MOSout}(T^{\circ}C)$$

The positive buck regulator has the strongest temperature dependence of the stabilized output voltage and the buck DC-DC has the slightest temperature dependence.

The comparison of the variations modules of the output voltage ripples is:

$$\Delta \Delta V_{OAout}(T^{\circ}C) > \Delta \Delta V_{MULTou}(T^{\circ}C) > \Delta \Delta V_{LINout}(T^{\circ}C) > \Delta \Delta V_{MOSout}(T^{\circ}C) > \Delta \Delta V_{SMNPNout}(T^{\circ}C) > \Delta \Delta V_{POSout}(T^{\circ}C)$$

The Buck switching regulator with PNP pass transistor and voltage translating circuit using op amp has the strongest temperature dependence of the output voltage ripple and the positive buck regulator has the slightest temperature dependence.

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